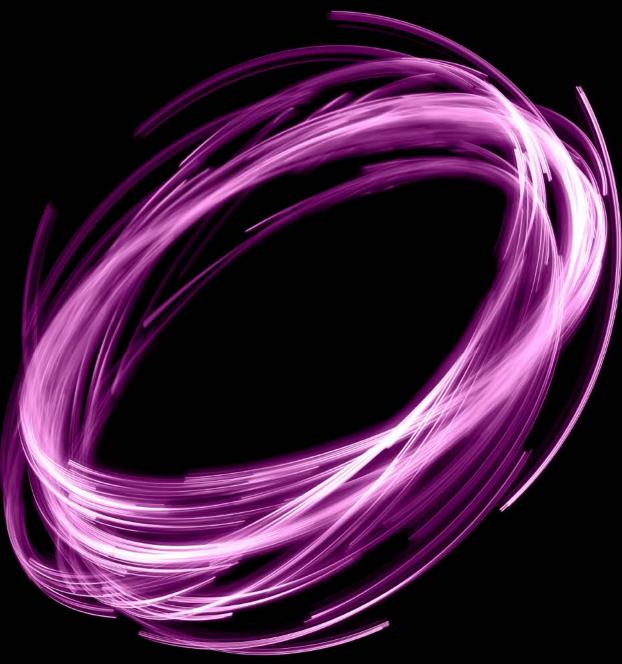


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# Understanding AI eXplainable AI (XAI) techniques in practice

Karol Gawłowski



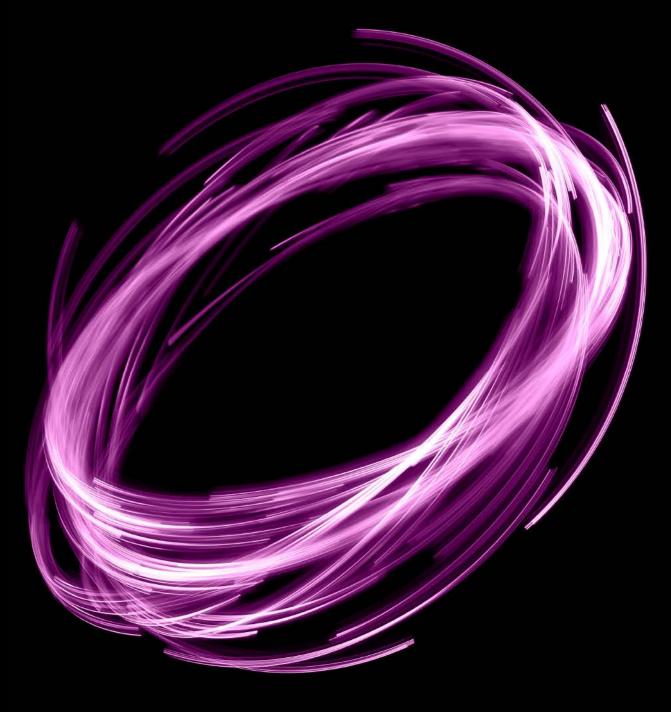


## Agenda

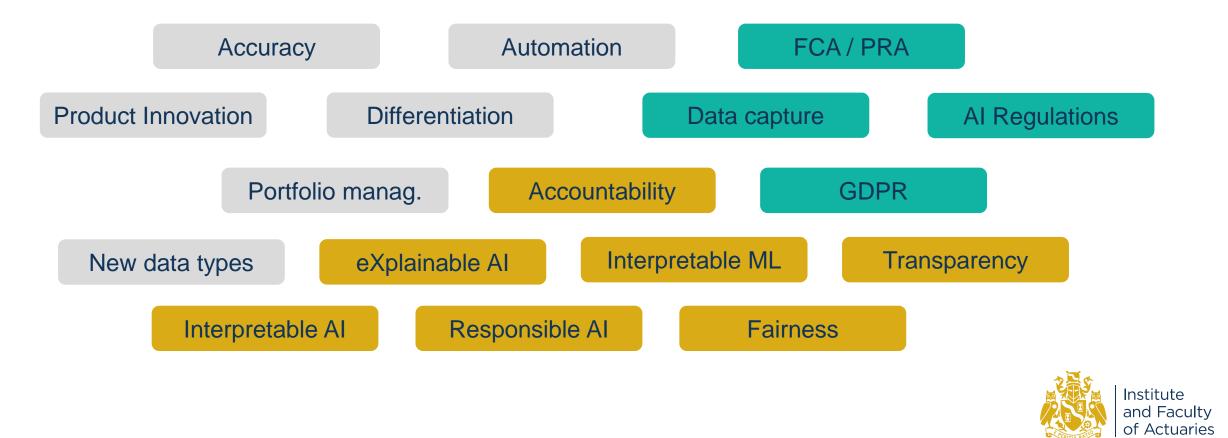
#### Motivation

- 1. ICE Individual Conditional Expectation
- 2. PDP Partial Dependence Plot
- 3. ALE Accumulated Local Effects
- 4. XAI in 📿
- 5. SHAP Shapley Values
  - **5.1. Adapting Shapley values to XAI**
  - 5.2. Observation level explanation
  - **5.3. Variable level explanation**
  - 5.4. Model level explanation
  - 5.5 SHAP in 📿

Further reading and observations

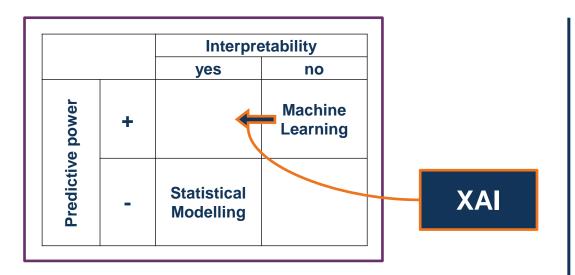


### Introduction – Motivation



### Introduction – Motivation

### Performance – interpretability trade-off



- Interpretability the degree to which a human can consistently predict the model's result<sup>1</sup>
- Predictive power degree to which a mathematical model is useful in determining results of some process

### Why XAI?

- No more trade-off between models' power and explainability
- XAI is essential in debugging black box models
- Black box models can serve as benchmarks on parameter level, not just performance
- Modelers can assess fairness and bias
- Most popular XAI techniques are model agnostic



1. B. Kim et. al. "Examples are not enough, learn to criticize! Criticism for interpretability." Advances in Neural Information Processing Systems (2016)

### Introduction – a black box model

Boosted trees with **library**(xgboost)

### and CASdatasets::data(freMTPL2freq)

### The data

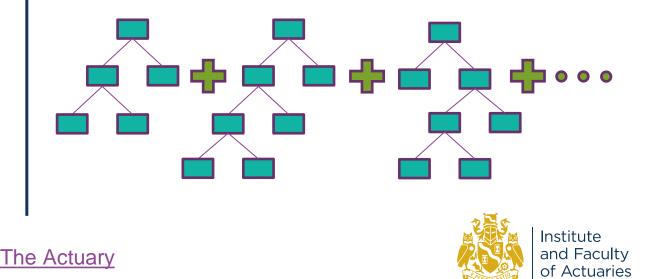
677,991 Motor Third Party Liability policies 

github.com/Karol-Gawlowski/GIRO\_2022

- Exposure and claim data ۲
- 7 features:
  - Power (categorical) \_
  - VehAge (cont.) \_
  - DrivAge (cont.) \_
  - Brand (cont.) \_
  - Gas (Diesel/Regular) \_
  - Region (categorical) \_
  - Density (cont.) \_

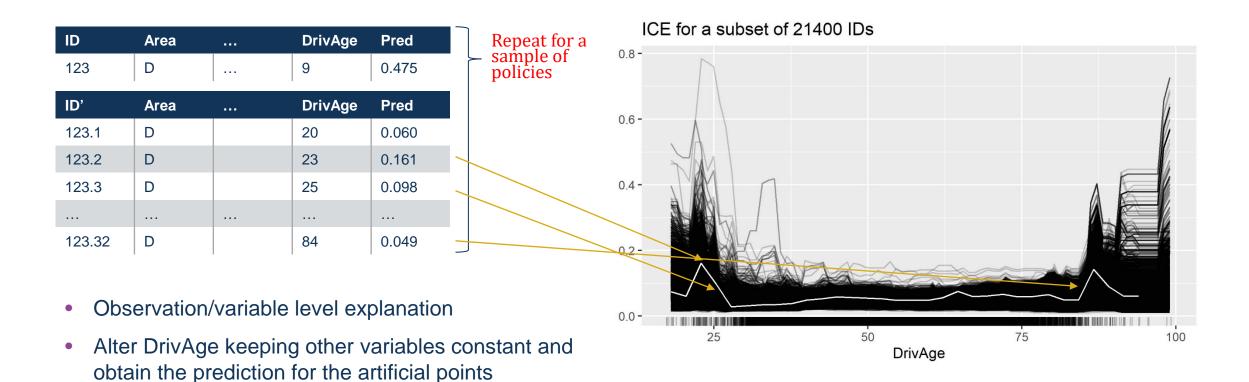
### The model

- Predict claim frequency (poisson)
- **Gradient Boosting Machine**
- Parameters Grid search





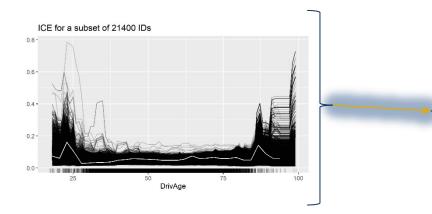
### 1. ICE – Individual Conditional Expectation





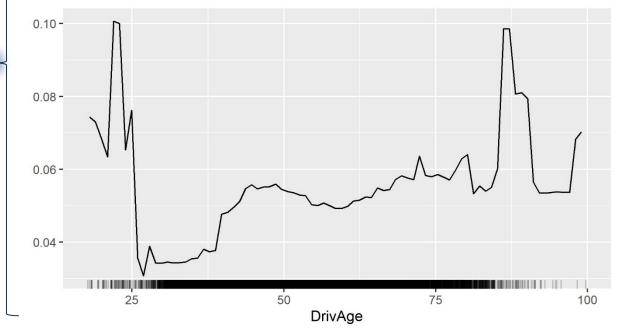
The IDs chosen are for drivers with lowest Bonus Malus score owning 5-year-old cars

### 2. PDP – Partial Dependence Plot



- Aggregated ICE output model level explanation
- Shows a global influence/impact
- Other variants that handle correlation/dependence:
  - ALE plots / M-plots

PDP for a subset of 21400 IDs



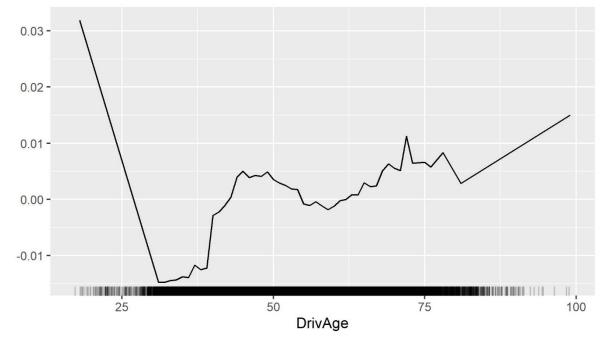


The IDs chosen are for drivers with lowest Bonus Malus score and 5-year-old cars

### **3. ALE – Accumulated Local Effects**

- Variable level explanation
- Solution for strongly correlated features
- Shows models sensitivity to variation, for a specific value window of a feature
- Alternative: M-plots

#### ALE for a subset of 21400 IDs





The IDs chosen are for drivers with lowest Bonus Malus score and 5-year-old cars



### ICE, PDP, ALE with **library(iml)**

- A predictor object holding the model, data and a predictor function if needed
- iml produces ggplot objects
- Methods: ice, pdp, ale, pdp+ice
- Two-dimensional outputs supported
- iml CRAN vignette



### 5. SHAP – Shapley values

#### The set up:

- 1. A cooperative *game* involving two or more participants
- Specified payout function mapping (sub)sets of participants (called coalitions), to an expected numerical game outcome

#### Shapley values:

- Assign contributions to players in each coalition
- Distribute the obtained coalition payout as individual contributions among the players, so it sums up to the total amount

#### Note:

- Shapley values are *the only* way to distribute gains *fairly* among coalition members
- The formula below shows a contribution for player *i* out of *N*, in a game with payout *v* for possible coalitions *S*, including an empty coalition with payout  $v(\emptyset) = 0$

$$arphi_i(v) = \sum_{S \subseteq N \setminus \{i\}} rac{|S|! \; (n - |S| - 1)!}{n!} (v(S \cup \{i\}) - v(S))$$
weight



### 5.1 SHAP – Adapting Shapley values to XAI

#### The set up

- 1. We treat input variables as participants in a game
- 2. The payout function is simply the black box model to be explained
- 3. As an explanation of models' prediction for a given observation, we obtain an additive decomposition of its output, distributed among the inputs

#### The problem

If our model is built on a set *S* of input variables, how to obtain an output for  $v(S \setminus k)$  or even  $v(\emptyset)$ ?

### ↓

Remove the effect of feature k by averaging through its range of possible values.



### Scott M. Lundberg, Su-In Lee – <u>A Unified Approach to Interpreting Model Predictions</u>

### 5.2 SHAP – observation level explanation

**Example A** 

#### Observation level SHAP Observation level SHAP predicted frequency 0.542 predicted frequency 0.043 f(x)=-0.613 f(x)=-3.15 +1.16BonusMalus = 62 BonusMalus = 50-0.216 DrivAge = 90 +0.754-0.201 VehAge = 13 VehAge = 12 +0.236 +0.106Region = R24 Density = 181 DrivAge = 57 +0.0766VehBrand = B6 Density = 182 VehPower = 4VehGas = Regular Area = C VehBrand = B2 Region = R31 Area = C VehGas = Regular VehPower = 11 E[f(x)]=-2.91 E[f(x)] = -2.91-3 -2 -1 -3.0 -2.9 -2.8 -2.7 -3.1 SHAP value SHAP value

Note: The SHAP values shown are relativities, so the predicted frequency is exp(f(x))

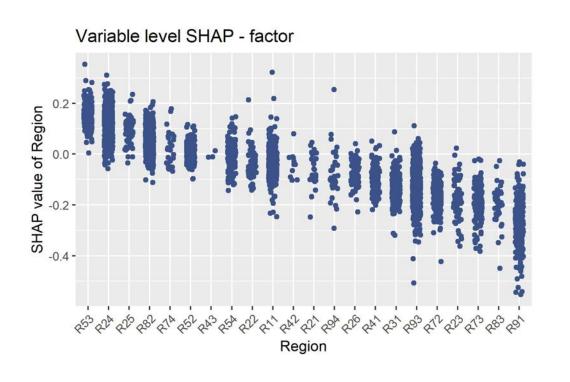
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**Example B** 

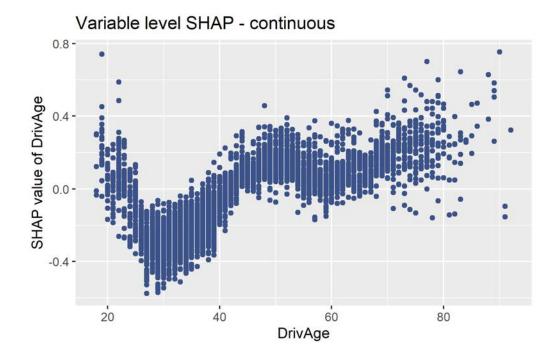
#### 22 November 2022

### 5.3 SHAP – variable level explanation

Example A



### **Example B**



Note: The SHAP values shown are relativities, so the predicted frequency is exp(f(x))



### 5.4 SHAP – model level explanation

- High/low feature value can both increase/decrease models' output
- SHAP is model agnostic (e.g. kernel-SHAP)
- There are model specific SHAP algorithms that significantly speed up the calculations (e.g. Tree-SHAP)
- Some SHAP algorithms account for correlated variables (e.g. XGBoost or shapr)

#### More on kernel-SHAP:

<u>The Actuary – All clear: How Shapley values make</u> opaque models more transparent

#### Model Level SHAP Bonus Malus · 0.220 DrivAge -0.159 High VehAge -0.141 value 0.112 Region -Feature VehBrand -0.064 0.063 Density -VehPower-0.051 Low VehGas -0.026 0.014 Area --1 SHAP value



Note: The SHAP values shown are relativities, so the predicted frequency is exp(f(x))



### Visualization with library(shapviz)

- A predictor object holding the model, data and a predictor function if needed
- shapviz produces ggplot objects
- Supports outputs of:
  - XGBoost
  - LightGBM
  - h2o
  - shapr
  - fastshap

```
sv_waterfall(viz, row_id = 1) +
ggtitle("Observation Level Explanation")
```

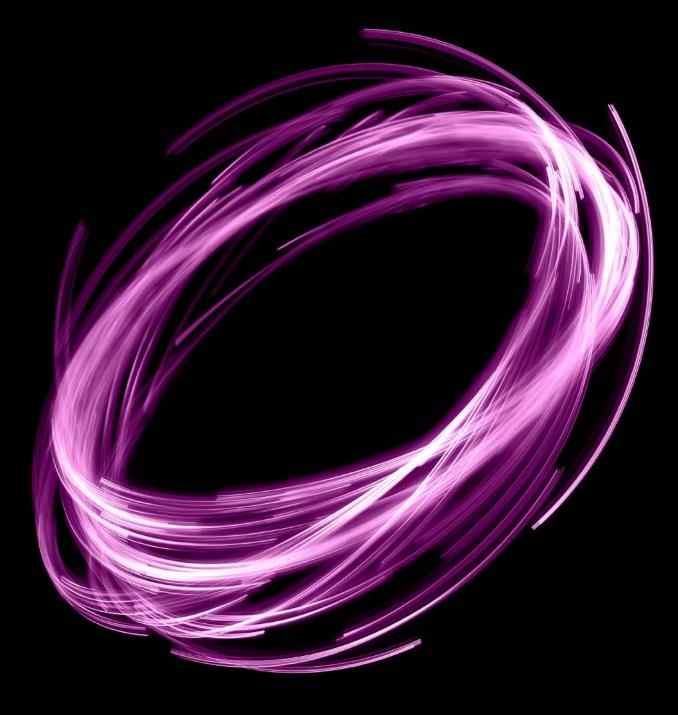
```
sv_dependence(viz,v = "VehAge") +
ggtitle("Variable Level Explanation")
```

```
sv_importance(viz, kind = "beeswarm") +
ggtitle("Model Level Explanation")
```



# 6. Further reading

- IFOA XAI WP
- Christoph Molnar iml author
- Christian Lorentzen shapviz author
- Scott Lundberg SHAP author
- Przemyslaw Biecek / mi2 lab
- <u>Explainable AI Methods A Brief Overview</u>
- <u>xxAl Beyond Explainable Al</u>
- <u>Explanatory Model Analysis</u>





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https://ifoadatascienceresearch.github.io/

Q&A



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### #GiroConf22



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# Thank you



